

Article

# Efficient Data Collection by Mobile Sink to Detect Phenomena in Internet of Things

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**Abstract:** With the rapid development of Internet of Things (IoT), more and more static and mobile sensors are being deployed for sensing and tracking environmental phenomena, such as fire, oil spills and air pollution. As these sensors are usually battery-powered, energy-efficient algorithms are required to extend the sensors' lifetime. Moreover, forwarding sensed data towards a static sink causes quick battery depletion of the sinks' nearby sensors. Therefore, in this paper, we propose a distributed energy-efficient algorithm, called the Hilbert-order Collection Strategy (HCS), which uses a mobile sink (e.g., drone) to collect data from a mobile wireless sensor network (*mWSN*) and detect environmental phenomena. The *mWSN* consists of mobile sensors that sense environmental data. These mobile sensors self-organize themselves into groups. The sensors of each group elect a group head (*GH*), which collects data from the mobile sensors in its group. Periodically, a mobile sink passes by the locations of the *GHs* (data collection path) to collect their data. The collected data are aggregated to discover a global phenomenon. To shorten the data collection path, which results in reducing the energy cost, the mobile sink establishes the path based on the order of Hilbert values of the *GHs*' locations. Furthermore, the paper proposes two optimization techniques for data collection to further reduce the energy cost of *mWSN* and reduce the data loss.

**Keywords:** mobile wireless sensor networks; phenomena detection; mobile sink; energy-efficient algorithm; IoT

## 1. Introduction

The Internet of Things (IoT) is emerging as a new computing paradigm that connects uniquely identifiable objects (sensing devices) to an internet-like network. IoT is the natural continuity of the ambient intelligence where a large number of sensing devices are interconnected to detect and track the environment [1]. These sensing devices are either static or mobile sensors and usually form a network and collectively monitor environmental phenomena, such as fire, oil spills, and poisonous gases [2,3]. Sensors' data could be used in other applications such as habitat monitoring [4,5], undersea monitoring [6], battlefield observation [7], and industrial safety and control [8]. Typically, the sensors communicate wirelessly and thus form a wireless sensor network. As these sensors are usually battery-powered, energy-efficient algorithm design is required to extend the network's lifetime [9].

This paper proposes a distributed energy-efficient data collection strategy, called the Hilbert-order Collection Strategy (HCS), to collect environmental data using a mobile wireless sensor network (*mWSN*) and detect possible phenomena. The mobile sensors of *mWSN* (i.e., mobile phones or taxis) self-organize themselves into groups and then the sensors of each group elect a group head (*GH*). Typically, a *GH* is a sensor with the maximum remaining power in the group. Each *GH* collects the sensed data from sensors in its group at the beginning of every time window, *w*, and then processes

the collected data to detect possible local phenomena within the geographical boundary of the group. Traditionally, collected data by *GHs* can be reported to a static sink in one hop if the environment is a small geographical region. In relatively big environments, multi-hop routing to a static sink is used; however, this may lead to congestion at sensors around the static sink. As a result, these sensors suffer from high-energy drainage, which disrupts the flow of data to the sink [10]. To alleviate this problem, a mobile sink is proposed to collect the groups' data from *GHs*.

In the proposed *HCS*, the groups' data are collected by a mobile sink (i.e., drone) that passes by the locations of *GHs*. Then, the collected data is processed to discover possible global phenomena. The mobile sink visits all *GHs* in a specific order, called *data collection path*, to collect their data. The mobile sink enters the field that contains the *GHs* once every  $\tau$ —duration, which is termed the *trip time*, to collect data from *GHs*. It is essential that the trip time  $\tau$  is less than, or equal to, the time window  $w$ . Note that the time window  $w$  is the time taken by *GHs* to collect data from the mobile sensors within their groups, process the data and then wait for the mobile sink to pass by to collect the data. This suggests that a mobile sink should carefully plan its path to visit all *GHs* in the shortest time possible. Hence, the proposed *HCS* forms the data collection path based on the Hilbert-order of the *GHs*' locations. Hilbert order of *GHs*' locations provides an overall short data collection path for the mobile sink as compared to orders of *GHs* given by other space filling curves as shown by our experiments.

The paper also proposes two optimization techniques for data collection, called Phenomena-aware Collection Technique (*PCT*) and Lazy Update Technique (*LUT*), to further reduce the data loss and energy cost of the *mWSN*. *PCT* reduces the number of *GHs* that form the data collection path to only those *GHs* that detected local phenomena and therefore the data collection path is shortened. As a result, the trip time  $\tau$  is reduced, which results in reducing the data loss. On the other hand, *LUT* proposes to update the data collection path every  $n$ th windows, where  $n > 1$ , instead of being updated every window. That is the overhead of selecting new *GHs* and forming a new data collection path is delayed, which reduces the overall energy cost of *mWSN*.

To evaluate the proposed *HCS* algorithm, we developed a new energy model. The proposed *HCS* algorithm and optimization techniques are validated using a comprehensive set of experiments implemented on NS2 network simulator.

The main contributions of this paper are summarized as follows:

- A distributed energy-efficient algorithm, called Hilbert-order data collection strategy (*HCS*), to collect environmental data and detect possible phenomena. *HCS* method uses Hilbert-order method to compute the data collection path of the mobile sink.
- Two data collection optimization techniques, namely Phenomena-aware Collection Technique (*PCT*) and Lazy Update Technique (*LUT*), to reduce the data loss and overall energy cost of the network.
- An energy model for the proposed mobile wireless sensor network.

The rest of the paper is organized as follows. In Section 2, we review the related work. Section 3 presents a formal definition of phenomena detection in *mWSN* and outlines the proposed solution. The proposed *HCS* algorithm and the optimization techniques, *PCT* and *LUT*, are presented in Section 4. In Section 5, we present the energy cost model of the proposed approach. Section 6 presents our simulation experiments. Finally, Section 7 concludes the paper.

## 2. Related Work

IoT has been recently used to intelligently monitor the environment. Using a large number of sensing devices that are interconnected, environment information is sensed and reported to a sink to detect and track phenomena [1]. Detecting phenomena using sensor networks has received the attention of many researchers in the data mining community. In this section, we survey the related work of phenomena detection by sensor networks.

### 2.1. Detecting Environmental Phenomena

Several research works were conducted to detect outliers in data streams produced by wireless sensor networks (WSNs). The problem of detecting phenomena using deployed sensors is defined as the detection of outliers in the collected sensor's data [11]. Rajasegarar et al. [12] propose a cluster-based global outlier detection technique. This approach reduces the communication overhead between sensors and the sink by summarizing the data at the cluster head and then reporting summaries to the sink rather than raw sensor measurements. In [13], a static WSN collects and reports Discrete Fourier Transformation representations of the data streams to reduce the dimensionality of the streams. Then, a grid based clustering technique is used to detect phenomena. The work in [2] improved the system in [13] by using a distributed scheme to reduce the energy cost of the WSN; however, both systems consider static nodes and static sink. The work in [14] proposed a cluster-based system for distributed event detection. A similar system proposed by [15] in which sensors are divided into cells based on their location. Each cell has a group head that collects the data from the sensors within the cell. An event is detected by matching the collected data with a template grid. Sheng et al. [16] presented a histogram-based technique to identify global outliers. To reduce the communication overhead, a nearest neighbor-based approach was proposed by the authors of [17], in which each sensor uses similarity function to detect local anomalies and then send detected outliers to neighboring nodes for verification. The above systems only consider static sensors.

Few research works address the problem of gathering data in mobile sensor networks by a mobile sink. For example, Liu et al. [18] minimize the energy consumption of data gathering in mobile WSN by first electing group head and then cluster data using a mechanism called (Clustering with Mobility) CM. In [19,20], the authors discussed the effects of various group formation mechanisms in mobile sensor networks using a Simple Mobility model. Davies [21] used a Random Walk Mobility model where a sensor node can randomly choose a speed within a given range and a direction to move. Random Direction Mobility model was suggested by Royer et al. [22], in which each sensor has a constant speed and can randomly choose a direction to travel.

### 2.2. Mobile Sinks in WSN

Recent research studies have focused on collecting data using mobile sinks to reduce congestions at sensors around the static sink. However, a critical issue that should be addressed is the delay in data collection, which causes data loss.

The authors of [23] proposed a tree-based heuristics topology control algorithm to maximize the lifetime of WSNs with mobile sinks. Within a predefined delay tolerance level, each node does not need to send the data immediately as it becomes available. Instead, a node can store data temporarily and transmit it when the mobile sink arrives at the most favorable location. In [10], a framework is presented to study the impacts of multi-hop packet routing in WSNs with mobile sinks. Cluster heads buffer the received data until the mobile data harvester contacts it. A ring structure is proposed by [24] to provide load-balanced data delivery and achieve uniform-energy consumption across the network. To reduce load on the ring nodes, each ring node independently selects new ring nodes among their neighbors when their batteries nears dying, while conserving the closed loop and the encapsulation of the network center properties. The drawback of Ring Routing is its scalability on larger scale WSN. Recently, some researchers computed the shortest data collection path for a mobile sink such as the Traveling Salesman Problem, TSP [25,26]. Although TSP based methods produce a short traveling path for the mobile sink, they require calculation of a distance matrix (distances between all the nodes), which is one of the largest drawbacks of TSP implementation. The work in [27] proposed a mobile sink routing strategy for a network based on a combined time-driven and event-driven pattern, which periodically transmits routine data to the sink. The authors of [28] proposed an approach to calculate an optimal sink path that takes into consideration the nodes distribution, which is effective in environments with unbalanced node distribution, however finding the optimal path requires high communication overhead. In [29], an approach to use a mobile sink to collect data from cluster

representatives is proposed. The sink chooses its path based on the closest clusters' representatives. The authors of [25] proposed a data collection scheme in which a mobile sink moves in the environment in an undetermined path and broadcast its location from time to time to all nodes. Although the paper shows a faster data delivery, the approach consume considerable amount of energy in forwarding the data—sometimes via multiple hops—to the location of the sink.

### 3. HCS Design Issues

In this section, we formulate the problem and outline the solution as well as important design issues, such as sink mobility, sensors' mobility and time window.

#### 3.1. Problem Formulation

The key problem addressed in this paper is to utilize *IoT* to detect environmental phenomena, such as fire, air pollution and oil spills. Given a *mWSN*, which is a set of mobile sensors  $S = \{s_1 + s_2 + \dots + s_{N_s}\}$ , where  $N_s$  is the total number of mobile sensors that sense data about the environment, the aim is to design an efficient algorithm to collect and process such data to detect environmental phenomena.

To maintain updated information about the phenomena, the proposed algorithm should collect and process the environment data periodically. That is once every time window  $w$ .

**Definition 1:** (time window,  $w$ ) is the time taken by GHs to collect data from the mobile sensors within their groups, process the data and then wait for the mobile sink,  $M^S$ , to pass by to collect the data.

Where the time of  $w$  is decided by the urgency of the application. If we assume that each group of mobile sensors are moving in a certain region of the monitored field, then the proposed algorithm should collect the data from each group of mobile sensors. For example, let the monitored field be the city of Dubai, which consists of different regions, and in each region there are mobile sensors (i.e., sensors mounted on taxis, or mobile phones) sensing the environment, then a mobile sink  $M^S$  should pass by these different groups to collect the data. Then,  $M^S$  aggregates the data and detects the global environmental phenomena.

**Definition 2:** (trip time,  $\tau$ ) is the time taken by  $M^S$  pass by the GHs in the monitored field to collect the data of all groups.

Therefore, it is essential that  $w \geq \tau$ . The tradeoff is that as  $w$  is extended to be very large, the freshness of the collected data becomes low since the mobile sensors report their sensed data at the beginning of every window. However, if  $w$  is small, that is  $\tau > w$ , then data loss might occur. That is because a new window starts before  $M^S$  finishes its data collection and thus some mobile sensors will start collecting the new data that results in overwriting the collected data of the previous window. Thus, the proposed solution for phenomena detection, should balance the times of  $w$  and  $\tau$  to avoid data loss. Moreover, to extend the lifetime of the mobile sensor network, the total energy cost  $\xi_{total}$  of the *mWSN* should be minimized.

#### 3.2. Solution Outline

We propose Hilbert-order Collection Strategy, *HCS*, which is an energy-efficient data collection strategy to minimize the data loss and energy cost of the network. In *HCS*, mobile sensors self-organize themselves into groups and then the sensors of each group elect a *GH*. Each *GH* collects the sensed data from sensors in its group every time window,  $w$ , and then processes the data to detect possible local phenomena within the geographical boundary of the group. A  $M^S$  passes by the locations of *GHs* to collect the group's data, which is processed to discover possible global phenomena.

Thus, *HCS* shortens the data collection path of  $M^S$  by ordering the locations of *GHs* by their Hilbert values. As a result,  $\tau$  is reduced, which in turn reduces the data loss. Additionally, the paper

proposes *PCT* and *LUT*, which are optimization techniques to further shorten the data collection path and greatly reduce the energy cost of the *mWSN*, respectively. *PCT* limits the number of *GHs* reporting the phenomena to those that detected the phenomena and *LUT* delays update of electing new *GHs* for the following window until the  $n$ th window instead of performing the update at the end of every window.

### 3.2.1. Sensor Mobility

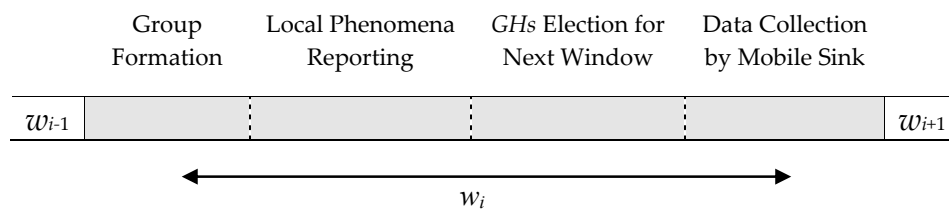
Sensors move according to the Random Walk model within  $w$ , where a sensor randomly chooses a speed within a given range and direction at the beginning of every window  $w_i$ . We assume that the sensor's speed and direction are fixed within  $w_i$ . However, the speed and direction of individual sensors may change in different windows. Within a window, different sensors may have different speeds and directions. The mobile sink travels according to the computed data collection path. We assume that the *trip time*,  $\tau$ , of the mobile sink does not exceed the time allowed by its battery.

### 3.2.2. Time Window

Monitoring an environment means sensing continuously the surrounding area and reporting the sensed data. The reported data from each sensor is considered as an infinite data stream. Due to the characteristics of these data streams (infinite, continuous and high rate), a practical solution to detect phenomena from data streams is to divide the time dimension into time windows,  $w$ . The data corresponding to each window is processed and reported in the following phases (see Figure 1).

- *Group Formation*: mobile sensors associate themselves to the nearest *GH*.
- *Local Phenomena Reporting*: mobile sensors of each group report the observed phenomena data as well as their status information (remaining battery power, speed and direction) to their *GH*.
- *GHs Election for Next Window*: new set of *GHs* are elected for the next window based on their status and phenomena information.
- *Data Collection by Mobile Sink*:  $M^S$  aggregates the collected local phenomena data to form a global phenomenon and computes the new data collection path for the next window.

The details of these phases will be discussed in Section 4.



**Figure 1.** Phases of phenomena detection in the proposed scheme.

### 3.2.3. Data Collection Path

In *HCS*, the Data Collection by Mobile Sink phase (see Figure 2), the  $M^S$  computes a new data collection path of the next window based on the locations of the collected new set of *GHs*, which were computed by the current *GHs*. The  $M^S$  uses a space-filling curve to create an optimized order of *GHs* to be visited in the next window. *HCS* uses the Hilbert-order values of the *GHs*' spatial locations to compute the data collection path. The proximity property of the Hilbert-order results in a shorter data collection path. Hence, the data loss is greatly reduced. Note that data loss occurs when the trip time  $\tau$  of  $M^S$  is greater than the window time  $w$ .

The Hilbert-order value of a specific  $GH$  is determined based on its  $(x, y)$  location in a two-dimensional space [30]. Figure 2 shows an example of four group heads  $\{A, B, C, D\}$ . The space is a grid of size  $4 \times 4$  cells. The Hilbert order of all groups will be computed by  $M^S$ . The Hilbert-order value of  $GH A$  is formed by interleaving the value 01 of the  $x$ -coordinate and the value 10 of the  $y$ -coordinate. Thus, the Hilbert-order value of the group head  $A$  is (0111). Numbers in the cells of Figure 2 show the Hilbert-order value of each cell. In  $HCS$ , the data collection path of the  $M^S$  is  $GH A$ ,  $GH B$ ,  $GH C$  and finally  $GH D$ . However, for  $HCS$  with  $PCT$ , the data collection path is  $GH A$ ,  $GH B$  and  $GH C$ ; that is the path only includes the  $GH$ s that detected the phenomena.

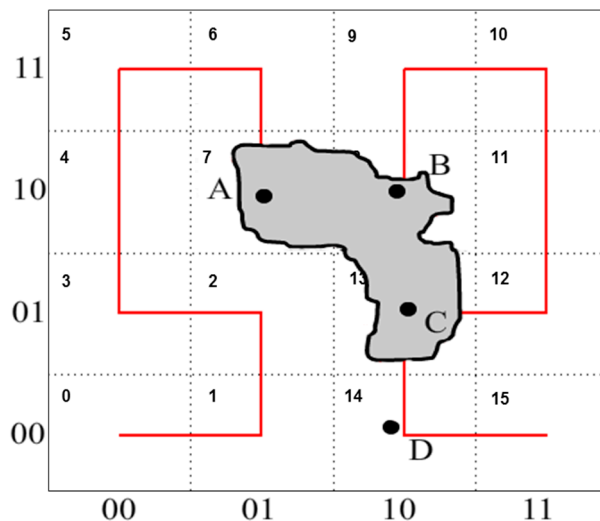


Figure 2. An example that shows the data collection path of all group heads.

#### 4. Phenomena Detection Using $mWSN$ and $M^S$

Given a set of mobile sensors  $S = \{s_1 + s_2 + \dots + s_{N_s}\}$ , where  $N_s$  is the total number of mobile sensors, we propose the  $HCS$  algorithm, which is a distributed energy-efficient algorithm to detect phenomena in an  $mWSN$  environment. Table 1 presents the descriptions of frequently used symbols that in the rest of the paper.

Table 1. Definitions of the frequently used symbols.

Symbol	Definition
$GH$	Sensor elected as a group head
$N_s$	The number of mobile sensors
$M^S$	The mobile sink
$\tau$	the trip time (see Definition 2)
$w$	Window time (see Definition 1)
$N_{GH}$	The number of elected group heads
$N_{GM}$	The number of sensors in a group
$N_{PM}$	The number of sensors which detected phenomena inside a group
$E_T$	Energy cost by the sensor's transmitter
$E_R$	Energy cost by the sensor's receiver

The proposed  $HCS$  that detects environmental phenomena has the following assumptions:

- The mobile sensors have prior knowledge of the normal range of values (non-phenomena values).
- The mobile sensors are homogenous; that is they have the same processing power, initial battery life, storage, and communication range.
- Individual mobile sensors may have different speeds and direction.



- The mobile sensors are all distributed on the ground of the monitored field, while the  $M^S$  flies over at about equal height from GHs.
- GHs are normal mobile sensors.

Below we discuss the phases of the proposed HCS.

#### 4.1. HCS for Phenomena Detection

At the beginning of every window, the new GHs announce themselves (broadcast their IDs) to the sensors in the environment. Then, each sensor associates itself to the closest GH; this is called Group Formation phase, see Figure 1. In the Local Phenomena Reporting phase, sensors that sensed phenomena report two types of information to their GHs: (1) sensed phenomena information; and (2) sensor status information (remaining battery power, speed and direction). Each GH collects the phenomena information from the sensors within its group and then it aggregates the collected information to discover local phenomena (phenomena within the boundaries of its group). In the third phase, GHs Election for Next Window, each current GH selects a GH for the next window based on the received status information of the sensors and the computed local phenomena location. That is, the new GH should have enough remaining power, and be located within the computed local phenomena as indicated by its speed and direction. Note that when the network is first deployed, the GHs in the initial window are selected randomly (this happens only once in the lifetime of the network). In the final phase, Data Collection by Mobile Sink, the  $M^S$  passes by GHs to collect their local phenomena information as well as the elected new GHs for the next window. Then,  $M^S$  joins the collected local phenomena information to form the global phenomena (phenomena in the whole environment), which is then sent to an application domain for further processing and tracking. Additionally,  $M^S$  builds a new data collection path of the next window based on Hilbert order of the locations of the collected new set of GHs.

#### 4.2. HCS Algorithm

In the HCS algorithm (see Algorithm 1), the GHs announce themselves as the new set of GHs by broadcasting their IDs (Lines 1–3) to all sensors in the environment. Then, each mobile sensors  $s_i$  associates itself with the closest GH (Lines 4–8) to minimize future communication costs. As a result, sensors are clustered into multiple disjoint groups. Each group has its own GH. Then, each sensor that observes a phenomenon, reports its phenomena observation,  $po_i$ , as well as its status to its GH (Lines 9–14). The status of a sensor includes remaining battery power, speed and direction that will be used by the GH to select a GH for the next window. In line 15–20, each GH joins the collected phenomena observations (all  $po_j$ ) to detect local phenomena  $LP_i$ . Also, each GH elects a new GH,  $GH_i^{new}$ , for the next window using the *distributed group head election* algorithm (DGH), which was proposed in [3]. In DGH, each current GH elects a new GH based on the on the sensors' statuses (all  $ss_j$ ) and the computed local phenomena information,  $LP_i$ . Thus, selection of the new set of GHs is based on the battery power, speed and direction. Thus, it is assumed that new GHs for the next window will be within the sensing range of all its members and be able to collect their data. In lines 21–24, every  $GH_i$  report its  $LP_i$  to  $M^S$ . Additionally, every  $GH_i$  reports the computed GH for the next window,  $GH_i^{new}$ , to  $M^S$ . Note that GHs that did not detect local phenomena would remain as the GHs for the next window and thus would report themselves to  $M^S$  among the  $GH_i^{new}$ . Then,  $M^S$  joins all the collected local phenomena to create global phenomena GP (see line 25), which is sent to an application domain to further processing and tracking of the detected environmental phenomena. Then, in line 26,  $M^S$  uses the  $GH_i^{new}$  to compute the data collection path for the next window. The data collection path is computed based on the Hilbert-order values of the spatial locations of all new GHs.

**Algorithm 1: HCS****Input:**  $po_i, ss_i$  //  $po_i$  is Phenomena observation,  $ss_i$  is Sensor status.**Output:**  $GP, DataCollPath$  //  $GP$  is global phenomena;  $DataCollPath$  is the computed data collection path for the next window.

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1:  for each  $GH_i$  in  $GHs$  do
2:      broadcastID( $GHs$ )
3:  end for
4:  for each  $s_i$  in  $S$  do
5:      if  $s \notin GHs$ 
6:          AssociateWithClosestGH ( $GHs$ )
7:      end if
8:  end for
9:  for each  $s_i$  in  $S$  do
10:     if  $s_i$  sensed phenomenon
11:         reportObservationToGH ( $po, GH$ )
12:         reportStatusToGH ( $ss, GH$ )
13:     end if
14: end for
15: for each  $GH_i$  in  $GHs$  do
16:     if  $GH_i$  detected local phenomena
17:          $LP_i = \text{computeLocalPhenomena}(\text{all } po_j)$ 
18:          $GH_i^{new} = \text{electNewGHusingDGH}(\text{all } ss_j, LP_i)$ 
19:     end if
20: end for
21: for each  $GH_i$  in  $GHs$  do
22:     reportLocalPhenomenaToSink ( $LP_i, M^S$ )
23:     reportNewGHsToSink ( $GH_i^{new}, M^S$ )
24: end for
25:  $GP = \text{computeGlobalPhenomena}(\text{all } LP_i)$ 
26:  $DataCollPath = \text{computeDataCollectionPath}(\text{all } GH_i^{new})$ 
27: Return  $GP$ 

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**4.3. Optimizations of HCS**

To increase the lifetime of the  $mWSN$ , we propose two optimization techniques for data collection to the proposed *HCS*, namely the Phenomena-aware Collection Technique (*PCT*) and Lazy Update Technique (*LUT*).

**4.3.1. PCT**

To reduce energy cost, *PCT* optimizes *HCS* by limiting the number of participating *GHs* in reporting the local phenomena to  $M^S$  (see the *GH Election for Next Window* phase shown in [3]). That is in *HCS with PCT*, the data collection path of  $M^S$  only contains those *GHs* that detected local phenomena. Usually, phenomena size is less the environment size. Thus, the smaller the phenomena in the environment, the smaller the number of *GHs* that detects it. That is in *HCS with PCT*, the data collection path should contain the new set of *GHs*,  $GH_i^{new}$ , of the groups in which the local phenomena were detected. However, it is assumed that a phenomenon is dynamic (moving, expanding and/or shrinking), it may reach another set of *GHs* in the environment in the next window. Therefore, the  $M^S$  should predict the set of *GHs*,  $GH^{predicted}$ , to which the phenomena will move in the next window. This prediction is based on the speed and direction of the global phenomena, which was computed from the collected local phenomena information. Thus,  $M^S$  uses the  $GH_i^{new}$  and  $GH^{predicted}$  sets of *GHs* to computes the data collection path for the next window. The data collection path is computed based on the Hilbert-order values of the spatial locations of two sets of *GHs*. To implement *HCS with PCT*,



we replace lines 26 by the following two lines to predict  $GH^{predicted}$  and to compute the data collection path for the next window from the two sets of  $GH$ s: all  $GH_i^{new}$  and  $GH^{predicted}$ .

$$GH^{predicted} = \text{predictFutureGHs}(GP)$$

$$DataCollPath = \text{computeDataCollectionPath}(\text{all } GH_i^{new}, GH^{predicted})$$

Therefore, *HCS with PCT* reduces the data collection path of  $M^S$  since only those  $GH$ s that detect phenomena will participated in the reporting to  $M^S$ . This reduces the consumed energy of network (see Figure 5) as compared to the *HCS*, in which all  $GH$ s participate in reporting to  $M^S$ .

#### 4.3.2. LUT

*LUT* reduces the energy cost by performing the election of new  $GH$ s (see Figure 1), and thus forming the groups, at the end of every  $n$ th window instead of at the end of every window. The selected  $n$  value will be fixed for all  $GH$ s across the  $mWSN$ . Note that *LUT* is applied on top of *PCT*. That is after computing data collection path of *PCT* the path will remain the same for fixed for  $n$  windows. By delaying the overhead of electing new  $GH$ s, *LUT* reduces the overall energy cost of  $mWSN$  as compared with *HCS with PCT* (without using *LUT*). However, the chances of losing some phenomena data becomes higher as the value of  $n$  increases. The reason is that as  $GH$ s are not updated across windows, the possibility of phenomena moving to other regions increases after the first window ( $n = 1$ ).

### 5. Energy Cost Model

This section provides detailed analysis of the energy cost for the proposed algorithms. The two most critical sources of energy cost that impact the lifetime of the sensors and were the main focus of research in this field are the communication energy cost and the computation energy cost [23,31]. Another source of energy cost is the memory storage cost of the sensors [32]; however, due to the nature of our application, collected information by a mobile sensor within a window are discarded when the window ends. Communication cost is defined as the energy cost required for sending or receiving packets between two different sensors. The computation cost is defined as the energy cost required by the sensor's CPU to perform computational operations.

Table 1 compares the communication cost with the computations cost of a sensor with processor MSP-430 and radio antenna CC2420, which are common characteristics in  $mWSNs$ . Table 2 shows that the wireless communication cost is three orders of magnitude more than the computational cost of the sensor. Therefore, the proposed algorithms focus on minimizing the communication cost. We assume a scheduling scheme such as ALOHA-Q [33,34], is used to minimize the energy cost during rebroadcasting information and idle listening; therefore, the resulting energy cost from idle listening is minimal and can be ignored. The amount of energy required to send  $j$  packets from one sensor to another  $E_T(j, k, d)$ . is computed as in [3,33].

$$E_T(j, k, d) = E_{trans} * j * k * d^\alpha \quad (1)$$

$$E_R(j, k) = E_{receive} * j * k \quad (2)$$

where  $E_{trans}$  is the energy cost in the sensor's transmitter electronics and  $E_{receive}$  is the energy consumed by a sensor while receiving a  $k$ -bit packet. The parameter  $k$  is the packet size in bits,  $d$  is the distance between the sending and the receiving sensors, and  $\alpha$  is the path loss exponent that expresses the radio frequency propagation path loss suffered over the wireless channel [35]. We assume that all sensors have the same sensing range and thus it is valid to assume that  $d$  is fixed for all sensors. Note that the communication cost depends greatly on the distance between the sender and the receiver sensors powered to  $\alpha$ .

**Table 2.** The computation cost and communication cost per byte data.

	MSP-430 Instruction Computation	CC2420 Radio Transmission	CC2420 Radio Receiving
Energy ( $\mu\text{J}/\text{byte}$ )	0.0008	1.8	2.1
Ratio	1	2250	2600

Below we discuss the energy cost of the different phases of the proposed phenomena detection algorithm.

### I. Group Formation

The elected  $GH$ s for the current window broadcast their new status to inform other sensors in the network. Since a  $GH$  broadcast cannot reach the whole environment; therefore, we assume that each non-elected sensor rebroadcasts the announcement messages it receives from each elected  $GH$  once. The energy cost per sensor in this phase is as follows:

$$\text{Announce}E_{S_i} = \text{broadcast cost} * N_{GH} + E_R(j, k) * N_S * N_{GH} \quad (3)$$

where the  $\text{broadcast cost} * N_{GH}$  is the cost of rebroadcasting the messages of the  $N_{GH}$  group heads, and  $E_R(j, k) * N_S * N_{GH}$  is the cost of receiving the broadcasts of the  $N_{GH}$  group heads. Hence, the total energy cost  $\xi_1$  for this phase by all sensors  $N_S$  is

$$\xi_1 = \sum_1^{N_S} \text{Announce}E_{S_i}. \quad (4)$$

After  $GH$ s announce themselves as the new group heads, each sensor associates itself to the closest  $GH$ .

### II. Local Phenomena Reporting

In this phase, each  $GH_i$  gathers information from the sensors in its group and forms a local view of the phenomena. The sensors of each group report their information (speed, direction, location, remaining battery power) along with the phenomena information to their  $GH$ s. The sensor's information is used in the  $GH$  election phase to determine the new  $GH$ s. Note that the proposed algorithms use the  $DGH$  election algorithm in [3] to elect the new  $GH$ s of the next window. Hence, the energy cost per  $GH$  and energy cost per member sensor in a group are given by Equations (5) and (6), respectively.

$$LE_{GH_i} = E_R(j, k_{info} + k_{phenom}) * N_{GM} \quad (5)$$

$$LE_{S_i} = E_T(j, k_{info} + k_{phenom}, d_i) \quad (6)$$

where  $k_{info}$  represents the size of sensors' information and  $k_{phenom}$  represents the size of the detected phenomenon information if it exists. Thus, the total energy cost  $\xi_2$  for this phase is:

$$\xi_2 = \sum_1^{N_{GH}} \left( LE_{GH_i} + \sum_1^{N_{GM_i}} LE_{S_i} \right) \quad (7)$$

### III. Data Collection by Mobile Sink

In this phase, as the mobile sink pass by a  $GH$ , the  $GH$  delivers its collected data collect to the mobile sink. The energy cost per  $GH$  is:

$$E_{GH_i} = E_T \left( \sum_1^{N_{PM}} j, k_m, d \right) \quad (8)$$

where  $d$  is the distance between the  $GH$  and the mobile sink,  $j$  is the number of packets that contain the data of every reporting sensor in the group, and  $N_{PM}$  is the number of sensor that reported the local phenomena information in the group. The distance  $d$  is fixed between all  $GH$ s and the mobile sink. Therefore, the total energy cost  $\xi_3$  for this phase is:

$$\xi_3 = \sum_{i=1}^{N_{PGH}} E_{GH_i} \quad (9)$$

#### IV. Group Heads Election for Next Window

In this phase,  $GH$ s are elected for the next window using the  $DGH$  election algorithm proposed by [3]. The election of new  $GH$ s is purely computational performed by the current  $GH$ s with no required communication. Thus, the energy cost of this phase is negligible.

Therefore, the total energy cost  $\xi_{total}$  of all phases is:

$$\xi_{total} = \sum_{k=1}^3 \xi_k \quad (10)$$

## 6. Experimental Results

This section evaluates the time and energy consumption of the proposed phenomena detection algorithm,  $HCS$ , and the optimization algorithms. We implemented  $HCS$  as explained in Section 5. In the implementation of Phase four, we adopted the distributed group head election algorithm, called  $DGH$ , that was proposed by [3] to elect the new set of  $GH$ s for the following window. In  $DGH$ , at the end of every window  $w_i$ , each group independently chooses its  $GH$  for the next time window  $w_{i+1}$ . That is each current  $GH$  in  $w_i$  selects the most suitable sensor in its group to be the next  $GH$  of the group. The selection criteria of new  $GH$  is based on the closeness of the sensor to existing phenomena (if any), in addition to the remaining battery power, speed, and direction.

The  $mWSN$  was implemented using the network simulator NS2. Table 3 presents the values of the different parameters used in the experiments. All experiments are performed on a PC running Ubuntu with Intel Core 2 Duo CPU 2.20 GHz, and 4 GB of RAM.

**Table 3.** Parameter values used in the experiments

Variable	Value
$E_T$	1.8 $\mu$ J/byte
$E_R$	2.1 $\mu$ J/byte
$N_S$	1000 mobile sensors
$N_{GH}$	5, 10, 50, 100, 200, 300, 500
$K$	5 bytes
Sensor Speed	Range 0–5 m/s
$\alpha$	2

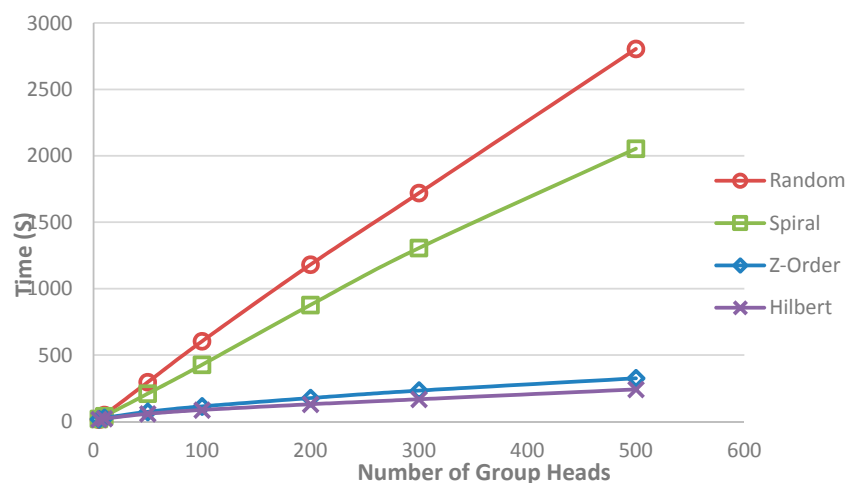
### 6.1. Evaluation of the Data Collection Strategy

Given an  $mWSN$  with fixed number of mobile sensors, the experiment in Figure 3 measures the effect of different orderings of  $GH$ s (different data collection paths) on the total time required to collect phenomena information for different number of groups. The experiment compares the proposed Hilbert-based ordering of  $GH$ s, which constitutes the data collection path of  $M^S$ , with other orderings of the  $GH$ s, such as the Random, Z-order and Spiral. In Figure 3, the  $x$ -axis represents the number of  $GH$ s in the environment and the  $y$ -axis represents the total time required to collect the data from all  $GH$ s. The time values in this experiment are the average of 50 experiments.

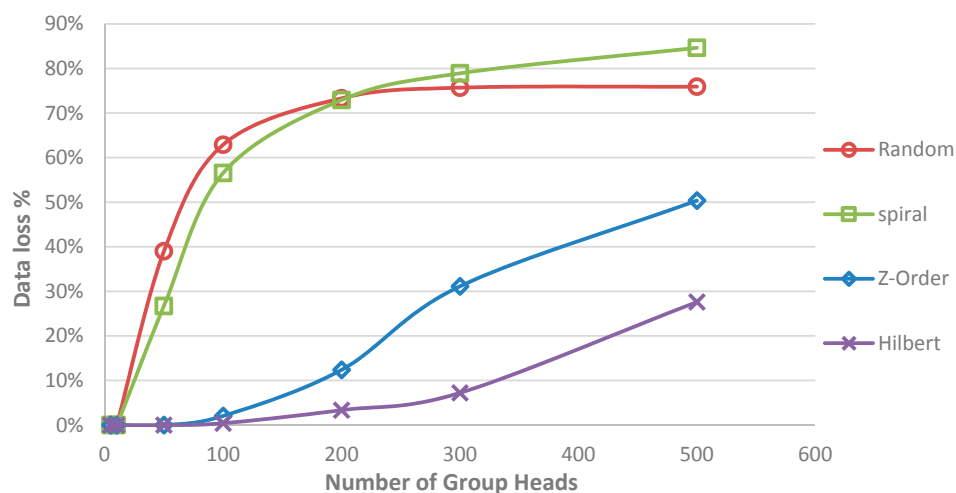
Figure 3 shows that the Hilbert based ordering of  $GH$ s, which is used by the proposed  $HCS$  algorithm, requires the least time to collect data from all  $GH$ s. That is Hilbert ordering results in the

shortest data collection path of  $M^S$ . The Hilbert ordering achieves a saving of more than 90.0% of the total data collection time required by the Random approach, more than 88.0% as compared to the Spiral approach, and more than 25.0% as compared to the Z-order approach.

Figure 4 measures the effect of different orderings of  $GHs$  (different data collection paths of  $M^S$ ) on the data loss for different number of  $GHs$ . Note that the number of  $GHs$  is equivalent to the number of groups in the environment. Also, since the number of mobile sensors is fixed, the number of  $GHs$  gives an indication of the average size of the formed groups. The more  $GHs$  in the environment the smaller the average size of the groups and vice versa. In Figure 4 the  $x$ -axis represents the number of  $GHs$  in the environment and the  $y$ -axis represents the percentage of data loss. The values in the figure are the average of 50 experiments.



**Figure 3.** Comparing the total time required of by the mobile sink to collect data from all group heads ( $GHs$ ) using different orderings of  $GHs$  (different collection paths).



**Figure 4.** Comparing the percentage of data loss using different orderings of  $GHs$ .

In this experiment, we fixed the window time,  $w$ , to be large enough to collect data from 100  $GHs$  using Hilbert-based ordering. That is, the data collection time  $\tau$  of  $M^S$  in this experiment is equal to  $w$ . Thus, this window time is used to compute the percentage of data loss for all orderings of  $GHs$  (Hilbert, Z-order, Spiral and Random) across different number of  $GHs$  (see Figure 4). The data loss occurs when a new window  $w_{i+1}$  starts before the data of the current window  $w_i$  is collected by  $M^S$ . Note that for Hilbert-based ordering of  $GHs$  the percentage of data loss is zero when the number of

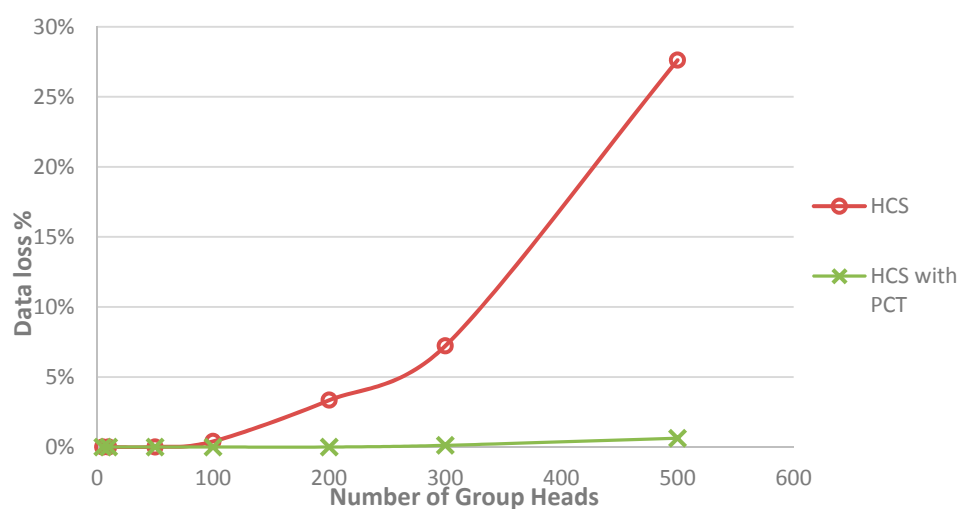
$GHs$  is less than, or equal to, 100; then, the percentage of data loss starts to increase gradually. It is shown that the percentage of data loss when using Hilbert ordering (proposed by *HCS*) is the lowest as compared with the other orderings of  $GHs$ . This result confirms that Hilbert-based ordering of  $GHs$  gives the shortest data collection path for  $M^S$  as compared to other orderings of  $GHs$ . For example, with 200  $GHs$  in the environment (about 20% of all  $GHs$ ), a data loss of 3% for Hilbert-based ordering, 12% for Z-order, and 74% for both Random and Spiral ordering.

## 6.2. Evaluation of the Optimization Techniques

To further reduce the energy cost of the *mWSN*, we propose two data collection optimization techniques to the proposed *HCS*, namely the Phenomena-aware Collection Technique (*PCT*) and Lazy Update Technique (*LUT*). *PCT* shortens the data collection time and thus reduces data loss by limiting the number of  $GHs$  reporting the phenomena to  $M^S$ . That is, the data collection path of  $M^S$  is shortened to only include those  $GHs$  that detected local phenomena. On the other hand, *LUT* reduces the energy cost by performing the election of new  $GHs$ , and thus forming the groups (see Figure 6), at the end of every  $n$ th window instead of at the end of every window. By delaying the overhead of electing new  $GHs$ , and thus forming the groups, *LUT* reduces the overall energy cost of *mWSN*.

### 6.2.1. Effect of PCT

In Figure 5, given an *mWSN* with fixed number of mobile sensors, this experiment compares the percentage of data loss of the proposed *HCS* with that of the *HCS with PCT*. Note that *HCS with PCT* is similar to the *HCS* except that  $M^S$  passes by only the  $GHs$  that detected the phenomena instead of all  $GHs$  in the environment. The experiment compares *HCS* and the *HCS with PCT* algorithms on the data loss for different number of  $GHs$ . In Figure 5, the  $x$ -axis represents the number of  $GHs$  in the environment and the  $y$ -axis represents the percentage of data loss averaged over 50 experiments. In this experiment, we fixed size of the phenomena and the number of  $GHs$  that detected the phenomena to 100  $GHs$ . Figure 5 shows that percentage of data loss of *HCS with PCT* algorithm is much lower than that of *HCS*. This is due to the fact that in *HCS with PCT* only the  $GHs$  that detected the local phenomena report the phenomena to  $M^S$  and thus the data collection path of  $M^S$  is shorter than a path that includes all  $GHs$  in the environment. Therefore,  $M^S$  is able to visit more  $GHs$ , which have data, and thus reduce the data loss. Note that the data loss results from the fact that a new window starts before  $M^S$  can visit all  $GHs$ . The collected data at the unvisited  $GHs$  by  $M^S$  will be lost.



**Figure 5.** Comparing the data loss percentage using Hilbert Collection Strategy and different participating strategy.

### 6.2.2. Effect of LUT

Given an *mWSN* with fixed number of mobile sensors, the experiment in Figure 6 compares the energy cost of the proposed *HCS* with the *LUT*. It measures the effect of the lazy update of new *GHs* on the total energy cost of the *mWSN* for different number of groups. In Figure 6, the *x*-axis represents the number of *GHs* in the environment and the *y*-axis represents the total energy cost averaged over 50 experiments. The experiment is conducted for updates at the end of the *n*th window, where *n* = 1, 2, 4 and 8.

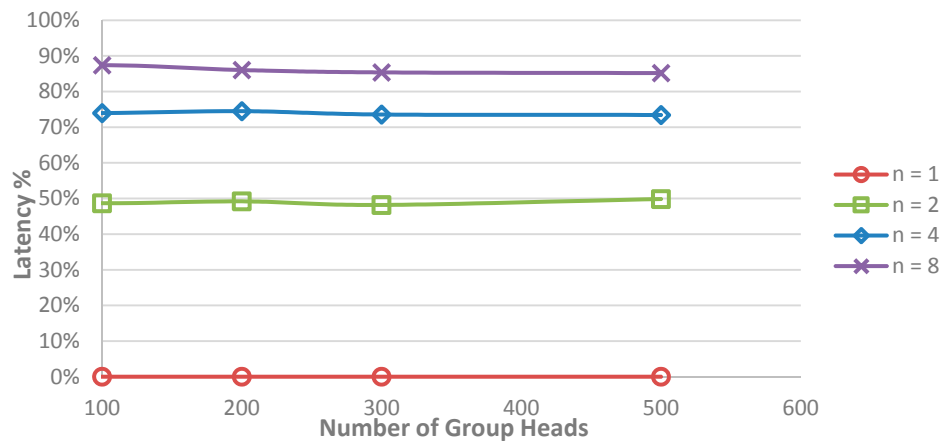


Figure 6. Average latency cost of detecting phenomena when using Lazy Update Technique (LUT).

Figure 7 shows that total energy cost by updating every 8th window is the lowest. *HCS* corresponds to the case where *n* = 1; that is the update of new *GHs* is performed at the end of every window. Therefore, the proposed *LUT* optimization reduces the energy cost as compared to *HCS*. However, the chances of losing some phenomena data becomes higher as the value of *n* increases. The reason is that as the frequency of updating the *GHs* becomes lower, the possibility of phenomena moving to other regions increases. As a result, in lazy update, some *GHs* that did not detect the phenomena in the first window (*n* = 1) might detect the phenomena in subsequent windows (*n* > 1), but their data will not be collected since the *M<sup>S</sup>* is not aware of them. In addition, other *GHs* that detected phenomena in the first window might not detect it in the following windows (*n* > 1) since the phenomena has drifted away.

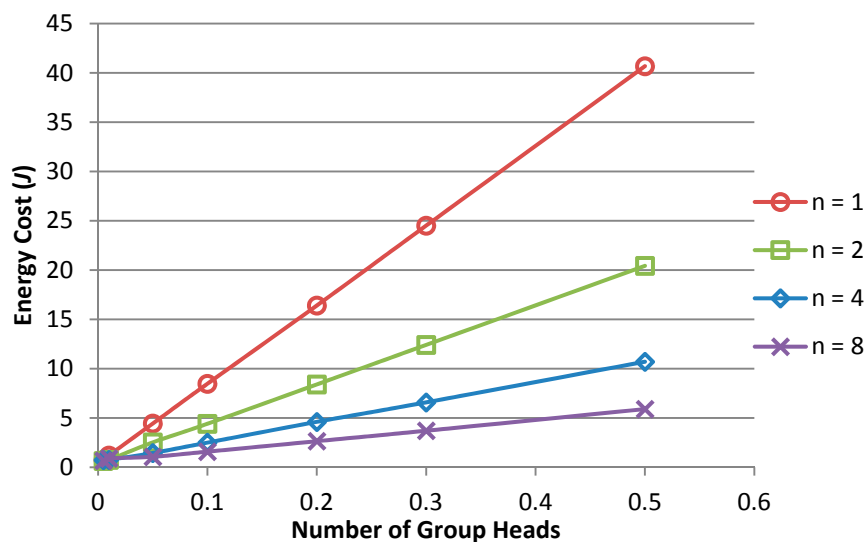


Figure 7. Effect of LUT at the end of the *n*th window (*n* = 1, 2, 4 and 8).



Figure 6 investigates the latency of data when using *LUT*, where the *latency* is defined as the waiting time of the collected data at the *GHs* until they are collected by  $M^S$ . That can be measured by the percentage of *GHs* that detected the phenomena but  $M^S$  is not aware of them and will not be visited until the *GHs* are updated at the end of the  $n$ th window. In this experiment,  $M^S$  passes by only the *GHs* that detected phenomena at  $n = 1$  and for the following windows ( $n > 1$ )  $M^S$  keeps visiting the same set of *GHs* without updating it although a new set of *GHs* has already detected phenomena. Figure 6 measures the effect of lazy updates on latency for different number of *GHs*. The *LUT* is applied at the end of the  $n$ th window ( $n = 1, 2, 4$  and  $8$ ) and latency is measured in terms of the percentage of unvisited *GHs*. In Figure 6, the  $x$ -axis represents the number of *GHs* in the environment and the  $y$ -axis represents the latency averaged over 50 experiments. *HCS* corresponds to the case where  $n = 1$ ; that is the update of new *GHs* is performed at the end of every window. Figure 6 shows that the latency when  $n = 1$  is the lowest (almost no latency) as compared with higher values of  $n$ . This is because when  $n = 1$ , the *GHs* will be updated every window and thus  $M^S$  will have an updated list of *GHs* that detected phenomena. At  $n > 1$ , more and more *GHs* detect the phenomena but are not visited by  $M^S$  causing more and more latency.

## 7. Conclusions

This paper addresses the problem of detecting phenomena such as oil spills, air pollution, etc., in the IoT environment. The environment consists of mobile sensors, *mWSN* and a mobile sink,  $M^S$ . We proposed a distributed energy-efficient scheme to detect environmental phenomena from the data collected by the *mWSN*. These mobile sensors self-organize themselves into groups and elect a *GH* for each group. Each *GH* collects data from sensors in its group to detect possible local phenomena. The  $M^S$  passes by *GHs*' locations to collect the group's data and discover the global phenomena. To reduce the energy cost of the *mWSN*, the paper proposes an efficient data collection strategy, called *HCS*. In *HCS*, the order of data collection by  $M^S$  is based on the Hilbert-order of all *GHs*' locations. To further reduce the energy cost of *mWSN*, the paper proposes two data collection optimization techniques.

The proposed solutions are validated using a comprehensive set of experiments. We implemented the *mWSN* using NS2 network simulator. Our simulation results show that *HCS* achieved a saving in the energy cost around 91.4% as compared to the base algorithm (Random). By combining *HCS* with *PCT*, the data loss decreased by 97.7% as compared with the *HCS* algorithm. Furthermore, *LUT* reduced the energy cost by about 50% if *LUT* is applied at  $n = 2$  and 75% if it was applied at  $n = 4$ .

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