

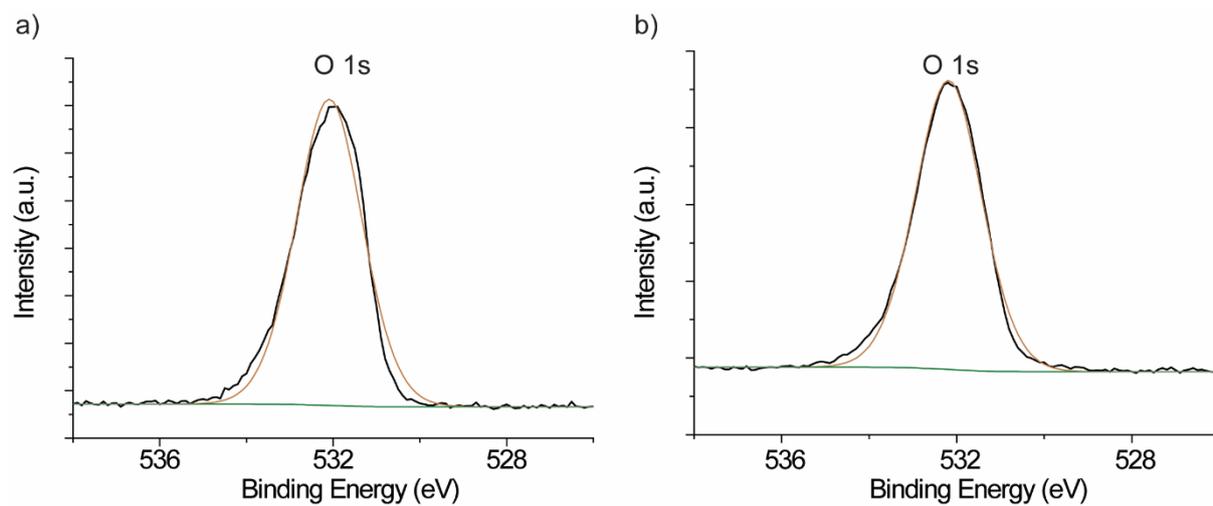
## Supporting Information

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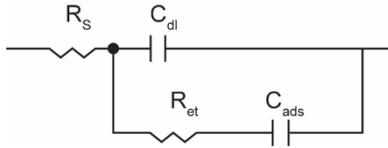
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**Figure S1.** XPS high resolution O 1s spectra of SAM S-1, which was etched by a) NH<sub>4</sub>F, b) KF.



**Figure S2.** The Randles circuit used to fit the EIS data. The  $k_{et}$  is calculated according to the following equations:

$$(C_{ads})_{eff} = Q^{1/\alpha} R_e^{(1-\alpha)/\alpha}$$

In the above equations, where  $R_e$  is the global Ohmic resistance and  $Q$  and  $\alpha$  represent global properties,  $Q$  represents the differential capacity of the interface in the case where  $\alpha = 1$  and the rate constant is determined by the following equation:

$$k_{et} = \frac{1}{2R_{et}(C_{ads})_{eff}}$$

Where  $k_{et}$  is the rate constant,  $R_{et}$  is the electron transfer resistance, and  $(C_{ads})_{eff}$  is the effective pseudocapacitance.

**Table S1.** The value of best fits to the original EIS data presented in Figure 5a-b. The EIS data were interpreted by curve fitting the data to Randles circuit.

| Surface Type      | $R_{sol}$ ( $\Omega$ ) | $C_{dl}$ ( $F s^{-\alpha}$ )     | $\alpha$ ( $C_{dl}$ ) | $R_{et}$ ( $\Omega$ ) | $C_{ads}$ ( $F s^{-\alpha}$ )    | $\alpha$ ( $C_{ads}$ ) | $(C_{ads})_{eff}$ (F) | $k_{et}$ ( $s^{-1}$ ) |
|-------------------|------------------------|----------------------------------|-----------------------|-----------------------|----------------------------------|------------------------|-----------------------|-----------------------|
| NH <sub>4</sub> F | $5.83 \pm 0.19$        | $(1.18 \pm 0.13) \times 10^{-6}$ | 0.91                  | $101.6 \pm 1.56$      | $(2.88 \pm 0.12) \times 10^{-5}$ | 0.92                   | $7.76 \times 10^{-6}$ | $634.18 \pm 9.59$     |
| KF                | $8.15 \pm 0.10$        | $(9.20 \pm 0.26) \times 10^{-7}$ | 0.94                  | $3619 \pm 153.33$     | $(9.76 \pm 0.71) \times 10^{-7}$ | 0.96                   | $3.90 \times 10^{-7}$ | $354.26 \pm 14.4$     |